

LEARNING RGB-D FEATURE EMBEDDINGS FOR UNSEEN OBJECT INSTANCE SEGMENTATION

Yu Xiang, 10/12/2020

ROBOTS IN UNSTRUCTURED ENVIRONMENTS



How can a robot manipulate objects in this cluttered kitchen?

MODEL-BASED OBJECT RECOGNITION





Deng et al. RSS'19

UNSEEN OBJECT INSTANCE SEGMENTATION

Can we train a model to segment unseen objects in images?



It is difficult to obtain 3D model for every object.

SEGMENTATION ENABLES GRASPING



Unseen Object Segmentation + GraspNet

Xie et al. CoRL'19 Mousavian et al. ICCV'19

LEARNING THE CONCEPT OF "OBJECT"

Learning from data







COCO Dataset Lin et al. ECCV'14

Internet Images, not suitable for indoor robotic settings

LEARNING FROM SYNTHETIC DATA



40,000 scenes 7 RGB-D images per scene

ShapeNet objects in the PyBullet simulator

Xie et al. CoRL'19

Need to deal with the sim-to-real gap

PREVIOUS WORKS: LEARNING FROM DEPTH

Synthetic depth generalizes better to the real depth images



Input: RGB

Initial Mask

CAN WE UTILIZE NON-PHOTOREALISTIC SYTHETIC RGB IMAGES?

Depth is not good for transparent objects or thin objects

ClearGrasp Sajjan et al. ICRA'20

OUR WORK: LEARNING RGB-D FEATURE EMBEDDINGS FOR SEGMENTATION

Y. Xiang, C. Xie, A. Mousavian, D. Fox. Learning RGB-D Feature Embeddings for Unseen Object Instance Segmentation. arXiv:2007.15157, 2020.

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METRIC LEARNING LOSS FUNCTION

Intra-cluster loss function

$$\begin{split} \mu^{k} &= \frac{\sum_{i=1}^{N} \mathbf{x}_{i}^{k}}{\|\sum_{i=1}^{N} \mathbf{x}_{i}^{k}\|} \quad d(\mu^{k}, \mathbf{x}_{i}^{k}) = \frac{1}{2}(1 - \mu^{k} \cdot \mathbf{x}_{i}^{k}) \\ \text{Spherical mean} \quad \text{Cosine distance} \\ \ell_{\text{intra}} &= \frac{1}{K} \sum_{k=1}^{K} \sum_{i=1}^{N} \frac{1\left\{d(\mu^{k}, \mathbf{x}_{i}^{k}) - \alpha \ge 0\right\} \ d^{2}(\mu^{k}, \mathbf{x}_{i}^{k})}{\sum_{i=1}^{N} 1\left\{d(\mu^{k}, \mathbf{x}_{i}^{k}) - \alpha \ge 0\right\}} \end{split}$$

Inter-cluster loss function

$$\ell_{\text{inter}} = \frac{2}{K(K-1)} \sum_{k < k'} \left[\delta - d(\mu^k, \mu^{k'}) \right]_{+}^2$$

FUSING RGB AND DEPTH

MEAN SHIFT CLUSTERING

von Mises-Fisher (vMF) mean shift for unit length vectors

Kobayashi and Otsu. ICPR'10

• Find local maxima of the von Mises-Fisher distribution

$$p(\mathbf{x}; \mu, \kappa) = C(\kappa) \exp(\kappa \mathbf{x}^T \mu)$$

Algorithm 1: von Mises-Fisher mean shift clustering

Input: Feature embedding matrix $\mathbf{X} \in \mathbb{R}^{n \times C}$, κ , ϵ , number of seed m, number of iteration TSample m initial clustering centers from \mathbf{X} as the m furthest points, denote it as $\mu^{(0)} \in \mathbb{R}^{m \times C}$; for $t \leftarrow 1$ to T do

Compute weight matrix
$$\mathbf{W} \leftarrow \exp(\kappa \mu^{(t-1)} \mathbf{X}^T)$$
;

Update $\mu^{(t)} \leftarrow \mathbf{W}\mathbf{X};$

Normalize each row vector in $\mu^{(t)'}$ to obtain $\mu^{(t)}$;

end

Merge cluster centers in $\mu^{(T)}$ with cosine distance smaller than ϵ ; Assign each pixel to the closest cluster center;

TWO-STAGE CLUSTERING

EXPERIMENTS: DATASETS

Object Cluster Indoor Dataste (OCID), 2,390 RGB-D images

Sushi et al. ICRA'19

Object Segmentation Database (OSD), 111 RGB-D images

Richtsfeld et al. IROS'12

EFFECT OF THE INPUT MODE

Mask R-CNN. He et al. CVPR'17

EFFECT OF THE TWO-STAGE CLUSTERING

COMPARISON TO STATE-OF-THE-ARTS

Mask R-CNN. He et al. CVPR'17 UOIS-2D. Xie et al. CoRL'19 UOIS-3D. Xie et al. arXiv:2007.08073

FAILURE CASES

ANECDOTAL EXAMPLE ON TRANSPARENT OBJECTS

ClearGrasp Sajjan et al. ICRA'20

CONCLUSION

 Learning RGB-D feature embeddings from synthetic data with a metric learning loss that transfers well to the real world

 Adding non-photorealistic RGB images to Depth can still improve in our method

 Using RGB images can handle objects with bad or missing depth information such as transparent, flat or thin objects

